

Contents

Copper specimen

- Experiments and observation
- Morphology and mesh generation
- Comparison between exp and sim responses
- Local analysis

Damage Opening and Sliding in GB's

- Material identification
- GB mesh generation
- Model formulation
- Numerical results

Fretting

- Experiment and material identification
- Simulation results

Also of interest...

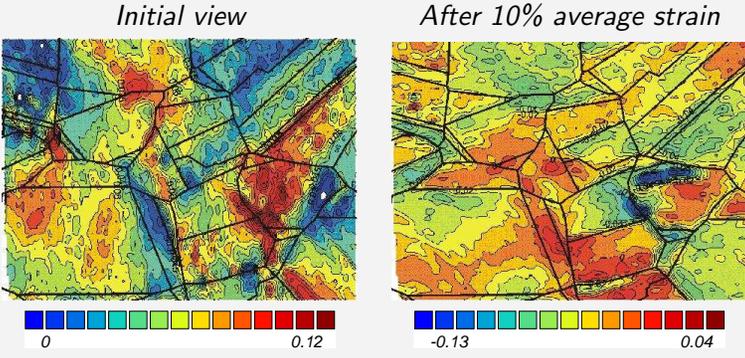
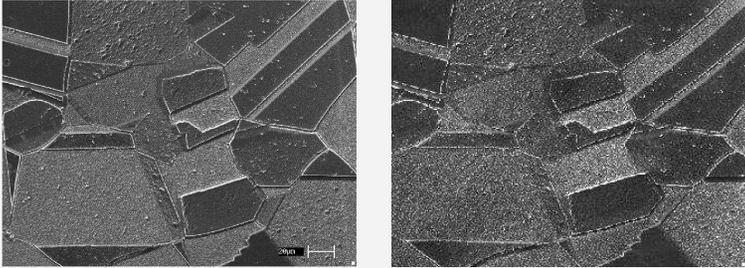
- Components with a microstructure
- Zinc coating

FE calculations of crystalline microstructures (ctd)

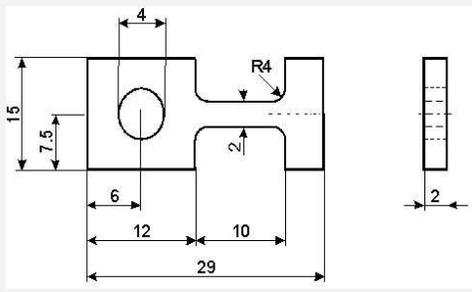
Georges Cailletaud

Centre des Matériaux
Ecole des Mines de Paris/CNRS

SEM images and measured strain fields



A summary of the experimental data



Tension tests on a small flat specimen made of OFHC copper

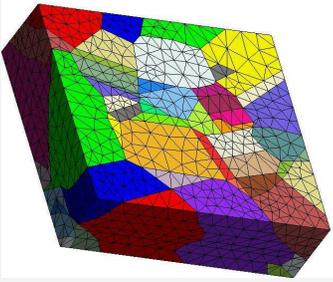
Data available:

- Macro stress-strain curve
- SEM images
- OIM scans
- Local strain field

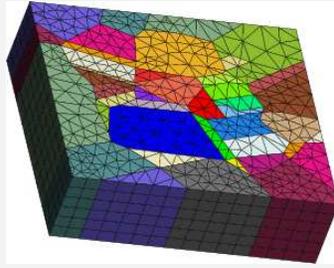
[Tatschl and Kolednik, 2003, Tatschl and Kolednik, 2004]
Erich Schmid Institute of Material Science, Leoben, Austria

Simulations in Musienko's PhD

Finite element meshes



3D, 31780 nodes



extended 2D, 14076 nodes



3D-fine, 130818 nodes

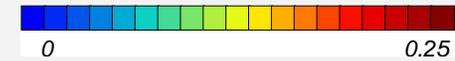
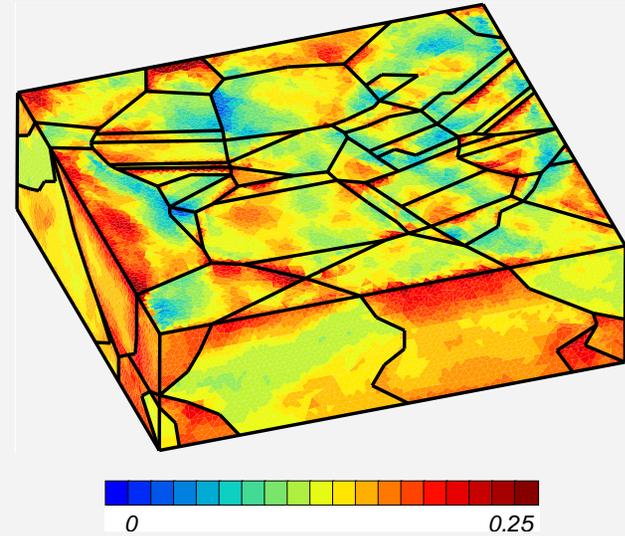
Purpose of the computation

- Check the local strain fields
- Compare 2D and 3D FE computations

Schmidegg's master thesis

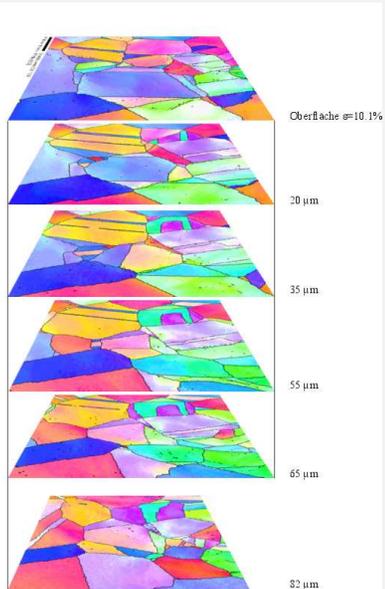
6 / 52

FE result: sum of the plastic slips



8 / 52

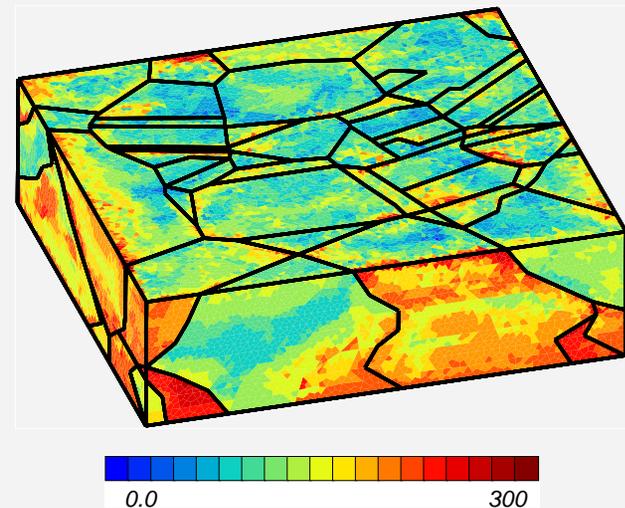
3D grain morphology information



- After the test, 6 layers of material were successively removed
- Final depth – 100 μm
- OIM-analysis was made after each removal
- 3D grain structure can be reconstructed

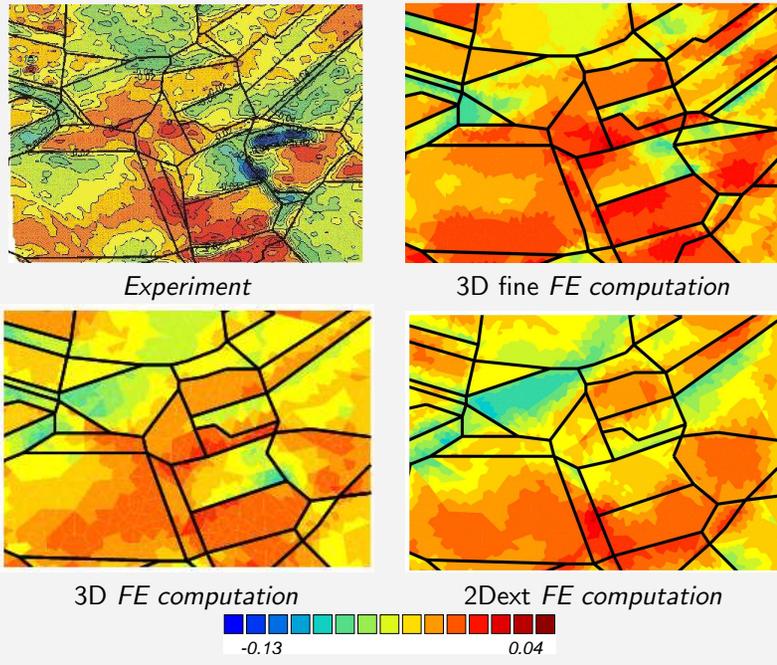
5 / 52

FE result: von Mises stress

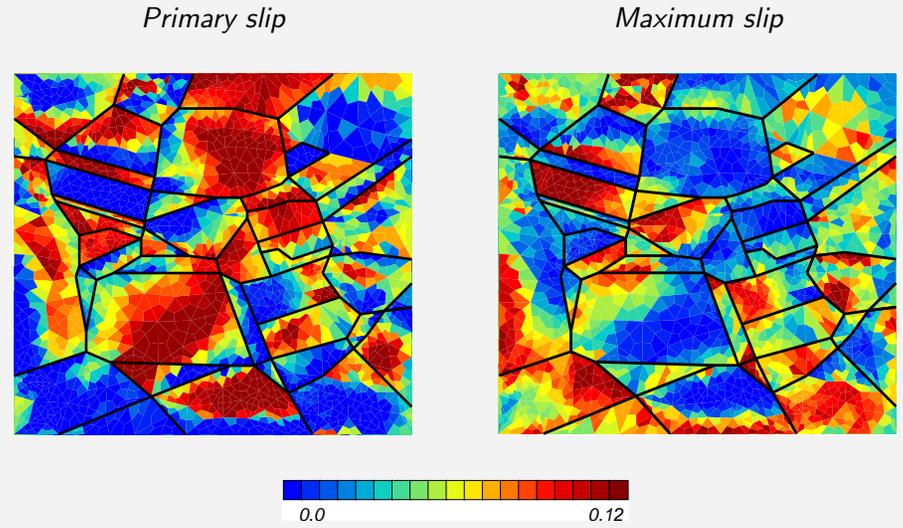


7 / 52

Comparison of sim and exp lateral strain fields

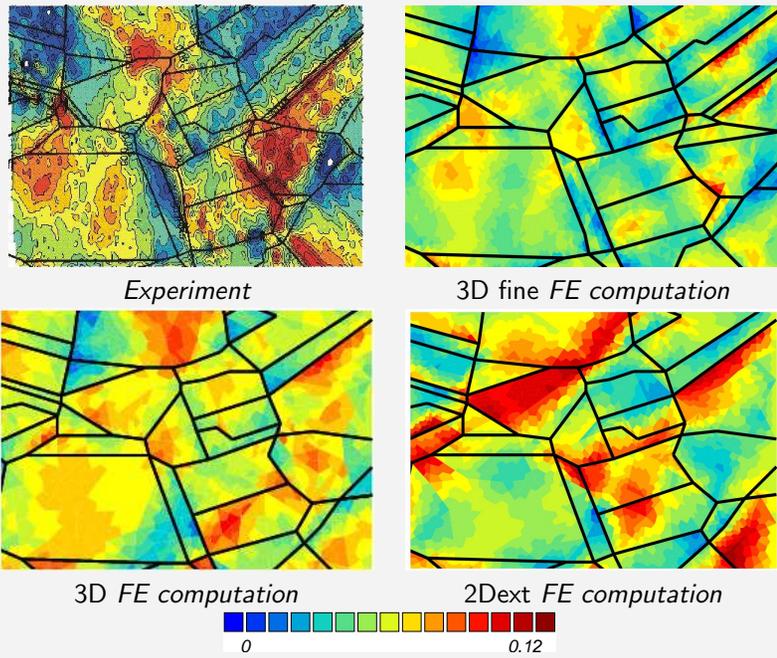


Looking for primary slip ($\epsilon = 0.05$)

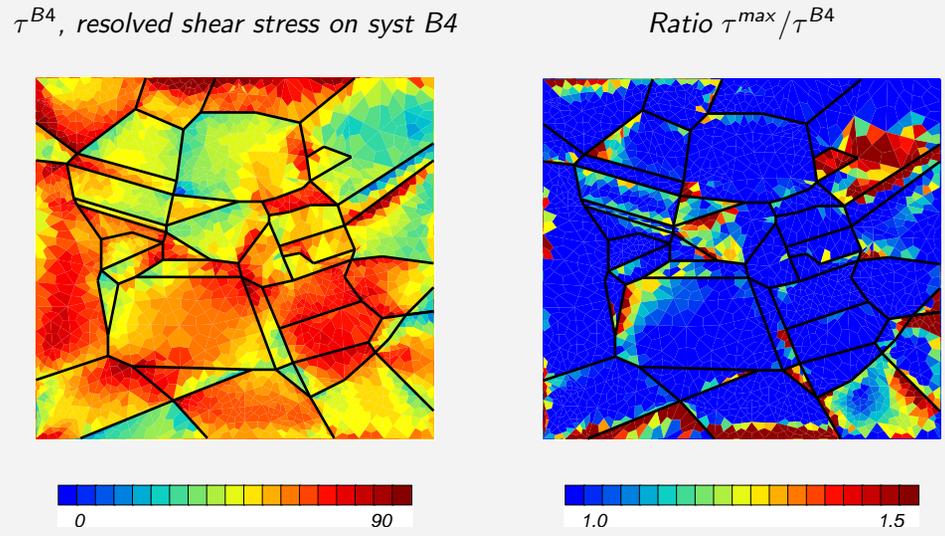


- Primary slip is predominant in large grains, far from the limit of the aggregate
- Special effect of twins ?

Comparison of sim and exp axial strain fields

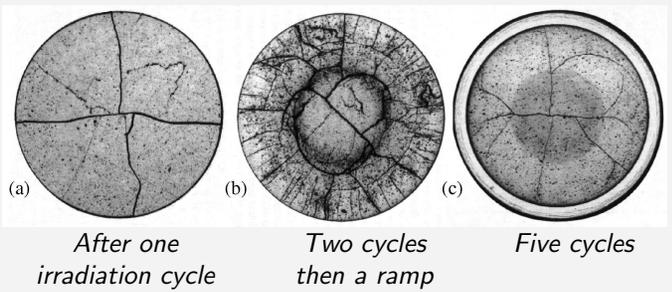


Resolved shear stress



- B4 is such as it has the highest Schmid factor as a single crystal
- τ^{max} / τ^{B4} is greater than 1 in perturbed zones

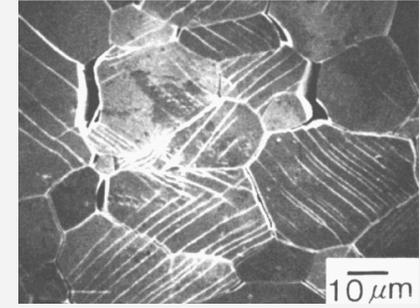
Pellet Crack Patterns



- Expansion of the uranium oxide, then indentation of the tube by the fragments
- Dimension of the tube : diameter 8 mm, thickness 0.7 mm

PhD O. Diard, A. Musienko with EDF

Damage mechanisms

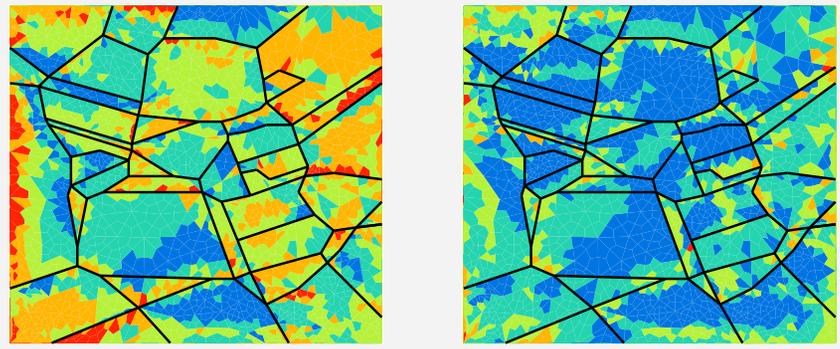


- Intergranular failure of grain boundaries normal to tension axis
- Iodin interaction with grain boundaries (adsorption)
- Grain boundaries become prone to damage due to iodine action
- Iodin diffusion faster in damaged grain boundaries
- After intergranular propagation along a few grains, cleavage along basal plan appears

Number of active slip systems

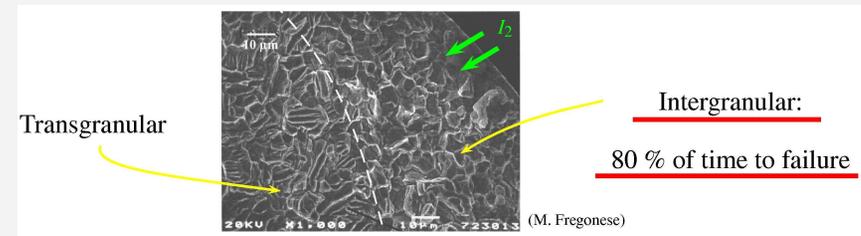
$\epsilon = 0.002$

$\epsilon = 0.05$



- Many slip systems at the onset of plastic flow
- Localization of the deformation process on a small number of slip systems

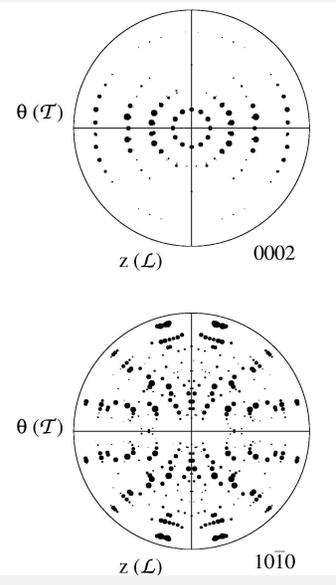
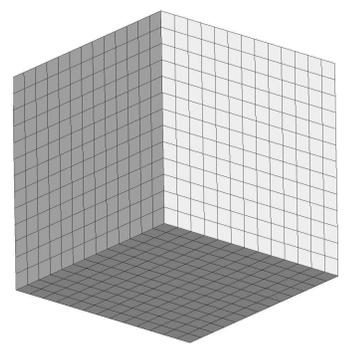
Cladding failure type



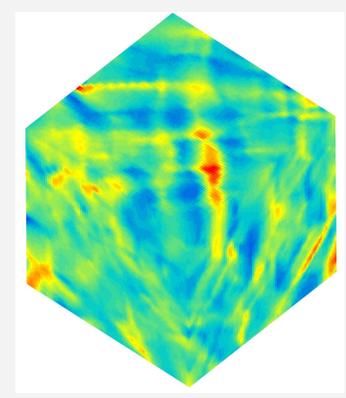
- Intergranular nucleation and propagation
- Inter to trans transition, with quasi-cleavage mechanisms and fluting
- Brittle surface of failure
- Presence of Stress Corrosion Cracking

Identification procedure

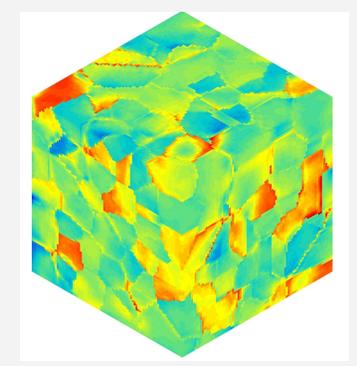
- Simplified ODF :
138 orientations and 2197 grains
- Coarse mesh :
1 element / grain (27 Gauss points)



Results on a 28x28x28 mesh

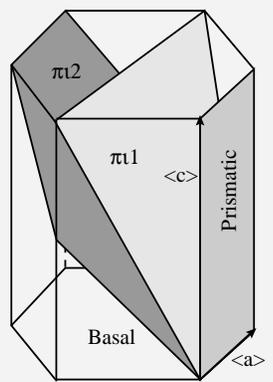


Total axial strain



von Mises equivalent

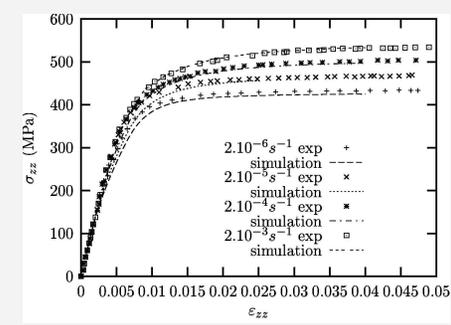
Crystallographic data



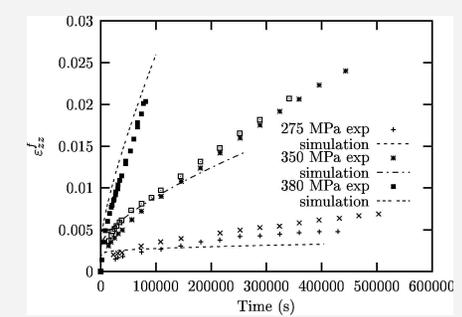
- Hexagonal lattice until 863° C
- Deformation by slip on prismatic, then basal and pyramidal families

System	Plane	Direction
Prismatic	{10-10}	<11-20>
Basal	{0001}	<11-20>
pi1 <a>	{10-11}	<11-20>
pi1 <c+a>	{10-11}	<11-23>
pi2 <c+a>	{11-22}	<11-23>

Simulation of hardening and creep tests

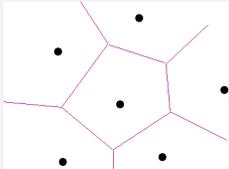


Hardening at various strain rates

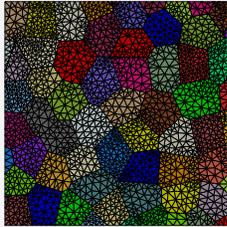


Creep tests

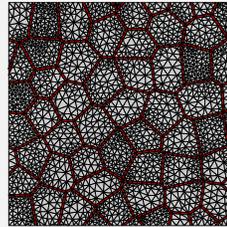
Aggregate fabrication scheme



Voronoi cells



polycrystalline aggregate



grain boundaries added

- 2D and 3D cases are treated
- Polycrystalline aggregate generation – then grain boundaries added
- Grain boundary is made of 2 elements. We no longer consider "grain boundary modeling", but "behaviour of each grain near the grain boundary"

22 / 52

Slip system families

- Plastic strain is a sum of elementary slips

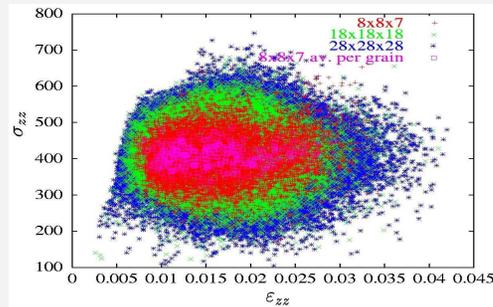
$$\dot{\epsilon}^P = \sum_s \tilde{m}^s \dot{\gamma}^s \quad \dot{\gamma}^s = \left\langle \frac{|\tau^s| - r^s}{K} \right\rangle^n \text{sign}(\tau^s)$$

- Prismatic slip
 - Basal slip
 - Pyramidal $\langle a \rangle$ slip
 - Pyramidal $\langle c + a \rangle$ slip
 - Predominant prismatic slip, possible basal and pyramidal slip
 - Alternative solution – cleavage at basal plane
- $r_0 = 20 \text{ MPa}$
 - $r_0 = 132 \text{ MPa}$
 - $r_0 = 107 \text{ MPa}$
 - $r_0 = 195 \text{ MPa}$

24 / 52

Local intragranular strain–stress state

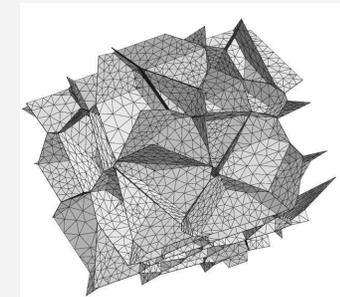
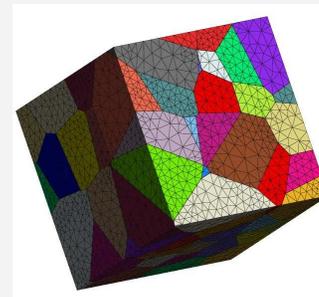
Local state in each grain after a tension at 1.5%



- The larger meshes are "softer", they allow the material to deform more easily
- Coarse meshes underestimate the local scatter

21 / 52

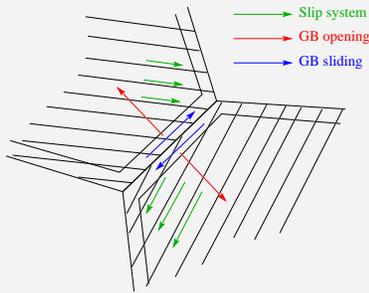
3D - a 100 grain aggregate



- 2 element boundaries, hexahedra, prisms, tetrahedra, quadratic and quadratic/linear elements
- Local orientation to determine normal to the grain boundary

23 / 52

What is a grain boundary material ?

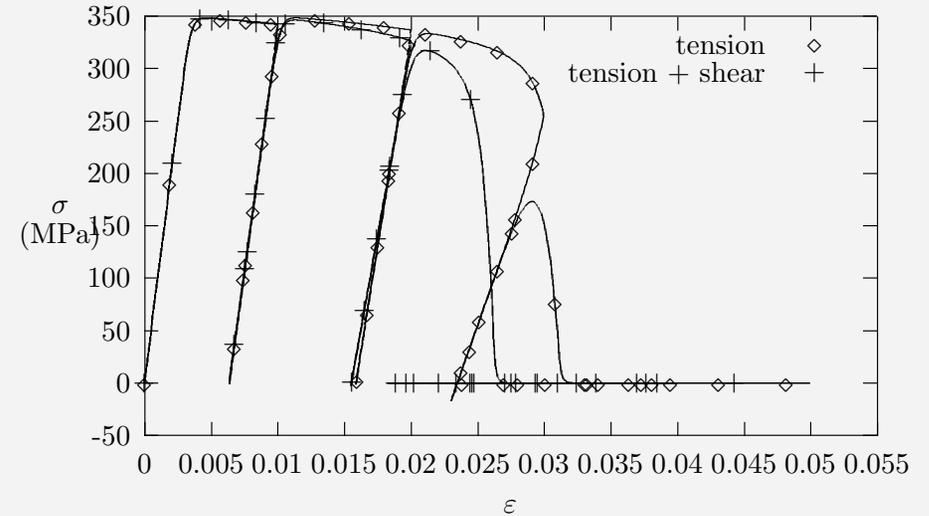


Grain boundary is the result of the behaviour of

- the normal material
- plus additional "slip" capabilities (opening and sliding)
- Two half-GB's having each the properties of the host grain

26 / 52

Illustration of grain boundary behavior



Opening for a loading normal to GB plane and constant superimposed shear ($\beta = 0.1$)

28 / 52

Cleavage representation

- Additional deformation of "cleavage opening" $\dot{\epsilon}^P = \dot{\delta}_c \mathbf{n} \otimes \mathbf{n}$
- \mathbf{n} – normal to basal plane
- Flow rule for "cleavage" $\dot{\delta}_c = \left\langle \frac{\sigma_c - R_c}{K_c} \right\rangle^{n_c}$, viscous regularization
- Opening δ for positive $(\sigma_c - R_c)$, with $\sigma_c = \boldsymbol{\sigma} : (\mathbf{n} \otimes \mathbf{n})$
- Nothing happens if $(\sigma_c - R_c) < 0$
- $R_c = R_c^0 + Q_c \cdot (1 - \exp(-b_c \delta_c))$, with $Q_c < 0$

25 / 52

DOS model

- Elasticity and plastic flow

$$\text{Strain decomposition: } \dot{\epsilon} = \dot{\epsilon}^e + \dot{\epsilon}^P$$

$$\text{Elastic law with isotropic damage: } \boldsymbol{\sigma} = (1 - D) \underline{\underline{\mathbf{L}}} : \boldsymbol{\epsilon}^e$$

$$\text{Opening and sliding: } \dot{\epsilon}^P = \dot{\delta}_c \mathbf{n} \otimes \mathbf{n} + \dot{\gamma} \{ \mathbf{n} \otimes \mathbf{t} \}$$

- Flow rules for opening and sliding

$$\text{Opening: } \dot{\delta} = \left\langle \frac{\langle \sigma_{11} \rangle / (1 - D) - R_n}{K_n} \right\rangle^{n_n}$$

$$\text{Sliding: } \dot{\gamma} = \left\langle \frac{|\tau| / (1 - D) - R_t}{K_t} \right\rangle^{n_t} \text{sign}(\tau)$$

- Damage evolution

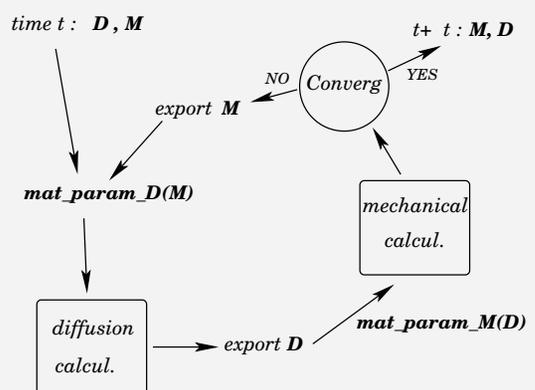
$$\text{Critical variable: } \sigma_D = \sqrt{\sigma^2 + \beta \tau^2}$$

$$\text{Damage evolution: } \dot{D} = \left\langle \frac{\sigma_D - R_D}{A} \right\rangle^r (1 - D)^{-k}$$

Damage is coupled with elasticity, opening and sliding

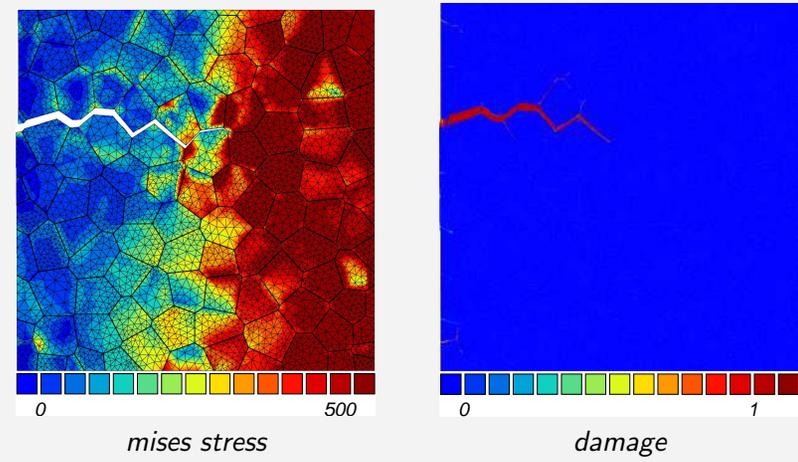
27 / 52

Weak coupling procedure in the FE code

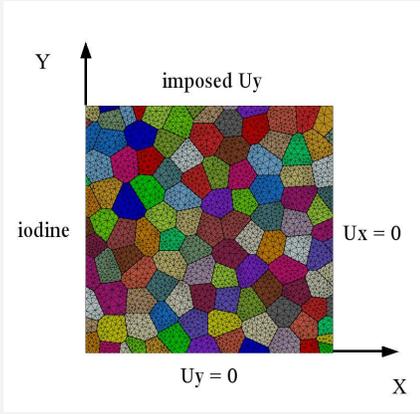


- M and D are resp. the sets of mechanical and diffusion variables
- mat_param_M and mat_param_D the sets of material parameters
- Diffusion variables are seen as external variables for mechanics
- Mechanical variables are seen as external variables for diffusion

2D iodine-influenced intergranular fracture (DOS+iodine)



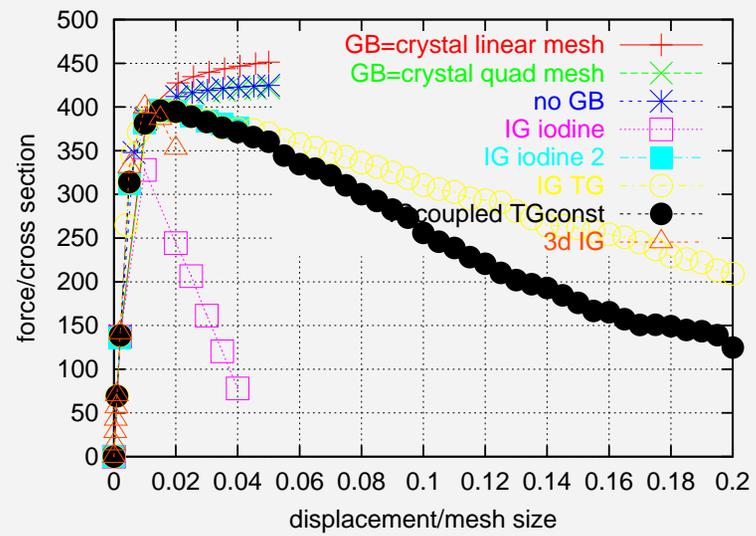
Zircaloy. Boundary conditions



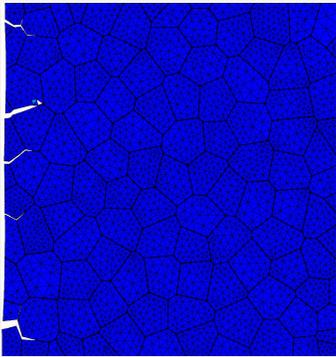
- Computation list:
- 2D, DOS only
 - 2D, DOS+iodine
 - 3D, DOS+iodine
 - 2D, DOS+iodine+TG

With iodine, the computations are made using the weak coupling procedure of the code Z-Set/ZeBuLoN

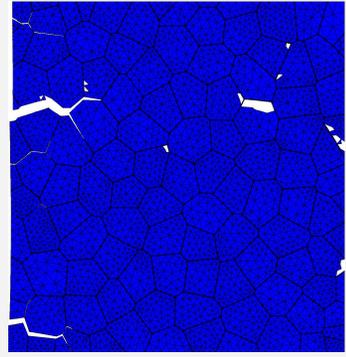
All computations. Macro level



Disconnected inter and transgranular failure



Crack initiation at the surface

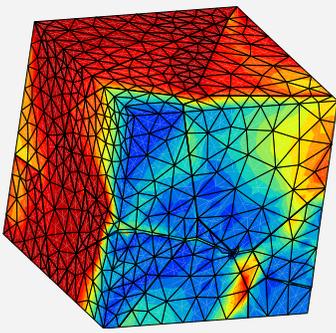


Cleavage far from the crack tip

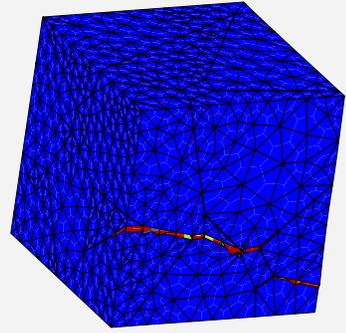
Conclusions and perspectives

- *Crystal plasticity is the proper scale for modeling damage behaviour of Zy4*
- *Grain boundaries are critical, due to mechanics–environment interaction*
- *Intergranular crack propagation was simulated in 2D and 3D using a new concept of grain boundary (grain boundary as a bicrystal with Damage, Opening and Sliding).*
- *It was possible to reproduce the transition form intergranular to transgranular failure.*
- *more in [Cailletaud et al., 2002]*

3D iodine-influenced intergranular fracture (DOS + iodine)



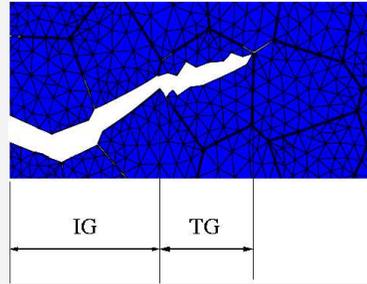
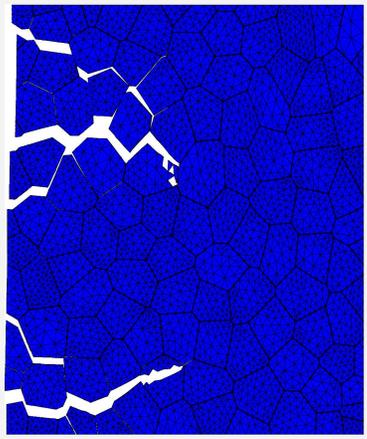
von Mises stress



damage

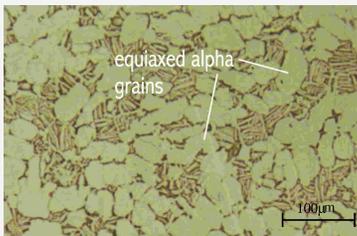
$\sigma = 385 \text{ MPa}$ $\epsilon = 1.6\%$

Inter-transgranular passage

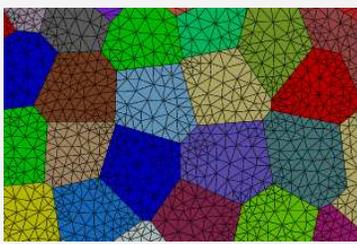


Cleavage at the crack tip

Microstructural model of TA6V

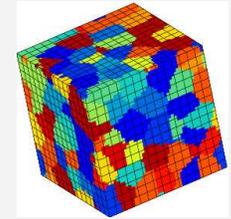


TA6V: equiaxed α , layered $\alpha+\beta$ zones



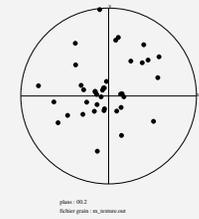
Model: equiaxed α titanium

Crystal plasticity: model identification



Representative elementary volume

- Grain geometry by random Voronoi polyhedra generation
- Boundary conditions: periodicity

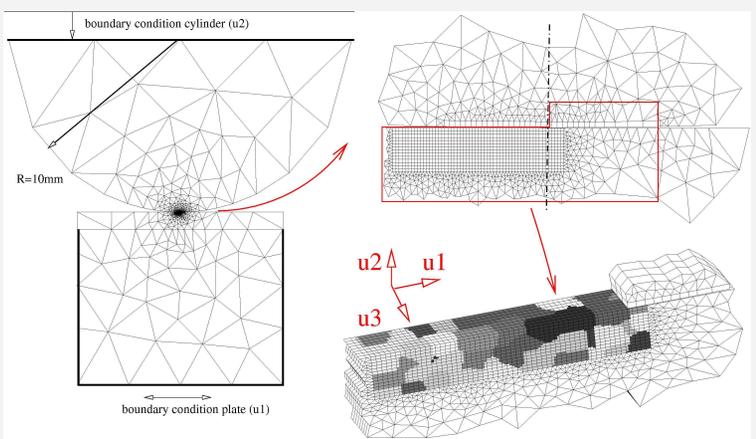


Texture generation

- 1 A texture component = vector + tolerance of 20 degrees
- 2 Intensity in Multiple Random Units (MRU)
- 3 Orientation generation by random process

00.2 pole figure

3D FE model of a fretting wear test (PhD T. Dick/Snecma)



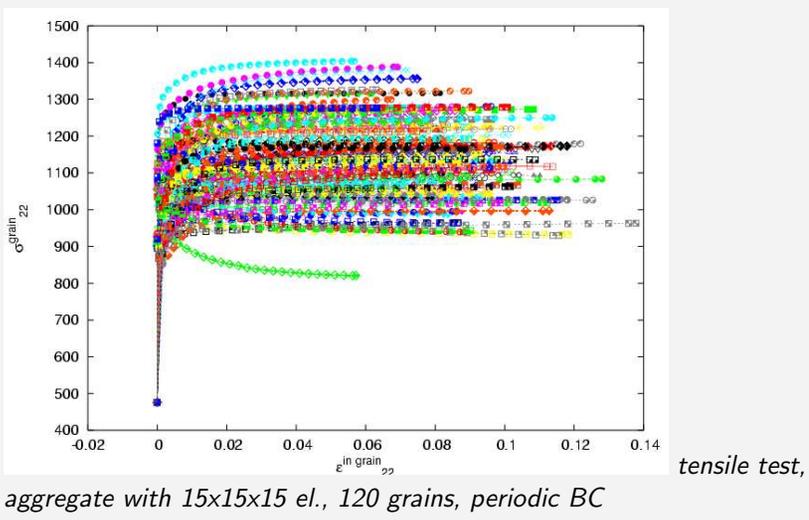
Computation settings	
mesh	linear plane strain elements
u3	zero displacement on front and back planes
u2	set to cause vertical force P = 133 N
u1	$\delta_{max} = 75 \mu m$
friction coefficient	0.8
cycling frequency	5 Hz

- element size in contact $5.4 \mu m \times 5.4 \mu m \times 6.3 \mu m$
- small deformations formulation

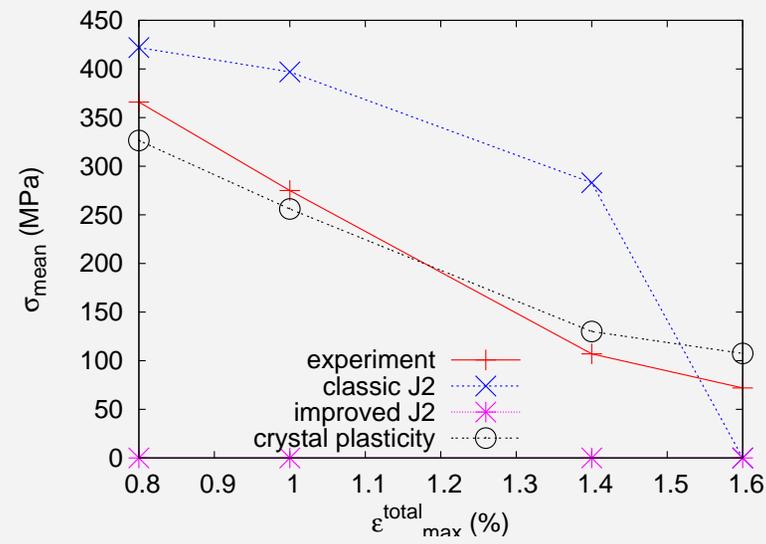
Crystal plasticity: identification strategy

- 1 α phase slip families: prism. , basal , pyramidal $\langle a + c \rangle$ (Fundenberger et al.)
- 2 slip repartition: 50% prismatic, 30% basal slip, 20% pyramidal $\langle a + c \rangle$ (Fundenberger et al.)
- 3 texture in Ta6V disk: c-directions parallel to disk-axis (Thesis Le Biavant-Guerrier)
- 4 R_0 and R_1 cyclic fatigue tests (Thesis Le Biavant-Guerrier)

Average grain response in an FE aggregate



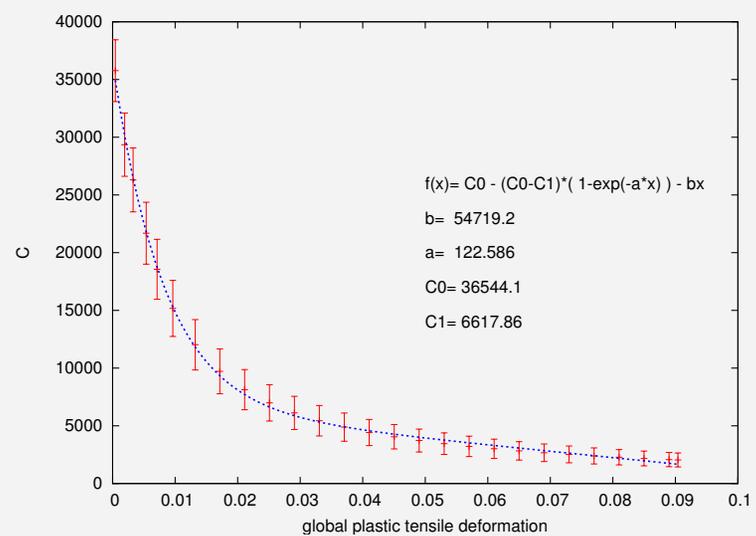
Mean stress relaxation in R0 tests



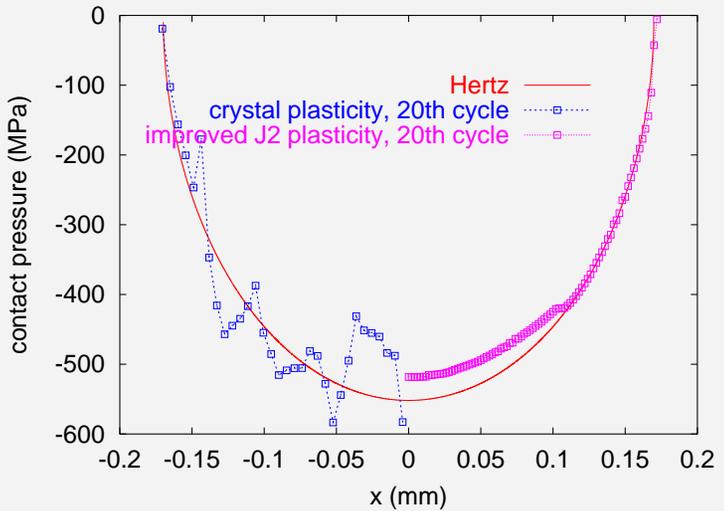
Crystal plasticity: model parameters

Model Parameters		prismatic	basal	pyramidal a+c
Viscosity	K	20	20	20
	n	7.41	7.41	7.41
Isotropic hard.	R0	280	300	540
	Q	-49.4	-52	-83.2
	b	2	2	2
	C	30000	30000	30000
Kinematic hard.	D	300	300	300

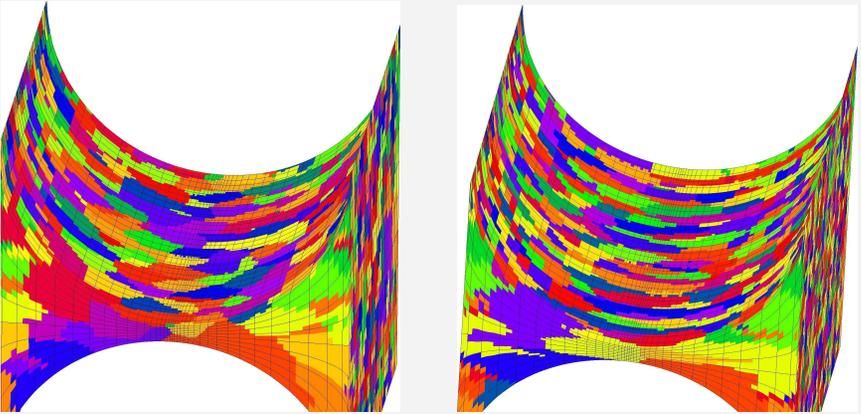
C evolution in a tensile test



Computation Results: contact pressure



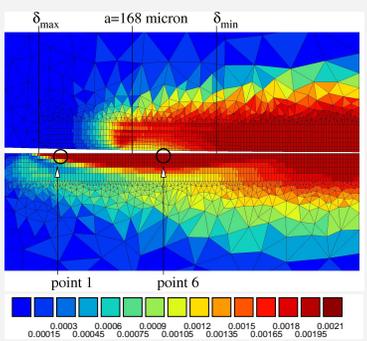
A millimetric sized component made of copper



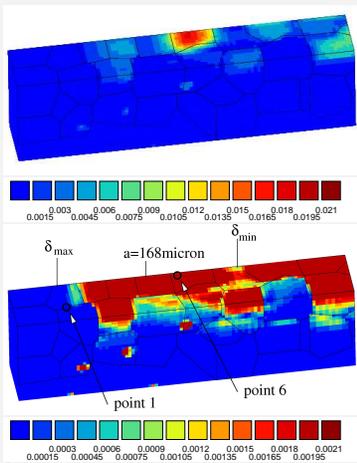
Post.doc El Houdaigui, 2004

Equivalent plastic strain after 20 fretting cycles

$$\epsilon_{eq}^{in} = \sqrt{\frac{2}{3} \epsilon_{ij}^{in} \epsilon_{ij}^{in}}$$



improved J2 plasticity
 $\epsilon_{eq}^{in}(\max) = 0.34\%$

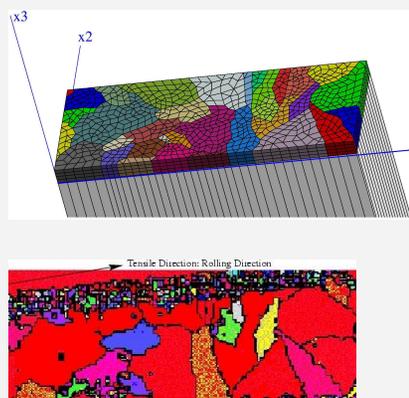


Crystal plasticity
 $\epsilon_{eq}^{in}(\max) = 1.8\%$

Conclusions and Outlook

- Life is heterogeneous... soft and hard areas
- Crystal plasticity is now manageable, even in large meshes
 - it gives a good idea of the local stress and strain gradients related to microstructure
 - it is time to move from the homogenization to the relocation process needed for damage modeling
- Future crystal plasticity computations:
 - higher spatial resolution
 - more loading cycles → steady state
 - micro scale damage measures

Mechanical behaviour of a zinc coating on a galvanized steel sheet



- Coating thickness 10 μm
- Orientation obtained by EBSD
- Biaxial stress state in the thin film
- Critical resolved shear stresses identified from a bulk specimen
- Plastic strain is mainly due to basal slip
- Presence of twinning $\{10\bar{1}2\} \langle 10\bar{1}\bar{1} \rangle$

PhD R. Parisot

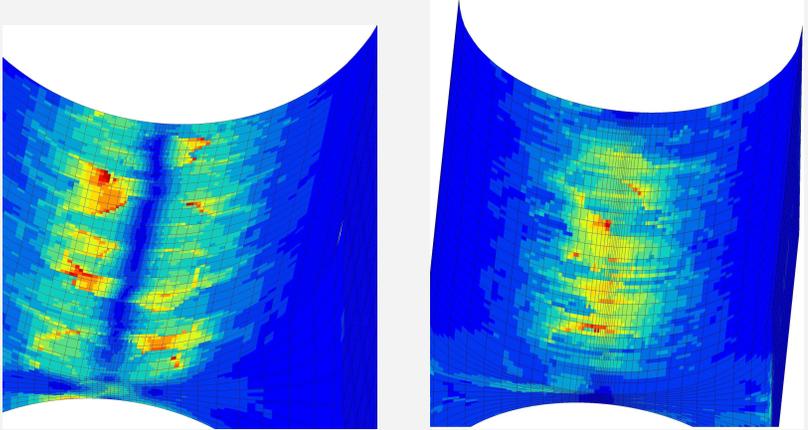
Cailletaud, G., Diard, O., and Musienko, A. (2002). Damage, opening and sliding of grain boundaries. In et al., S. A., editor, Multiscale Modelling of Engng. Materials, Marrakech, Oct. 2002, pages 149–156. Kluuwer.

Parisot, R., Forest, S., Gourgues, A.-F., Pineau, A., and Mareuse, D. (2000). Modeling the mechanical behavior of a multicrystalline zinc coating on a hot-dip galvanized steel sheet. Computational Materials Science, 19:189–204.

Tatschl, A. and Kolednik, . (2003). A new tool for the experimental characterization of micro-plasticity. Material Science and Engineering, A339:265–280.

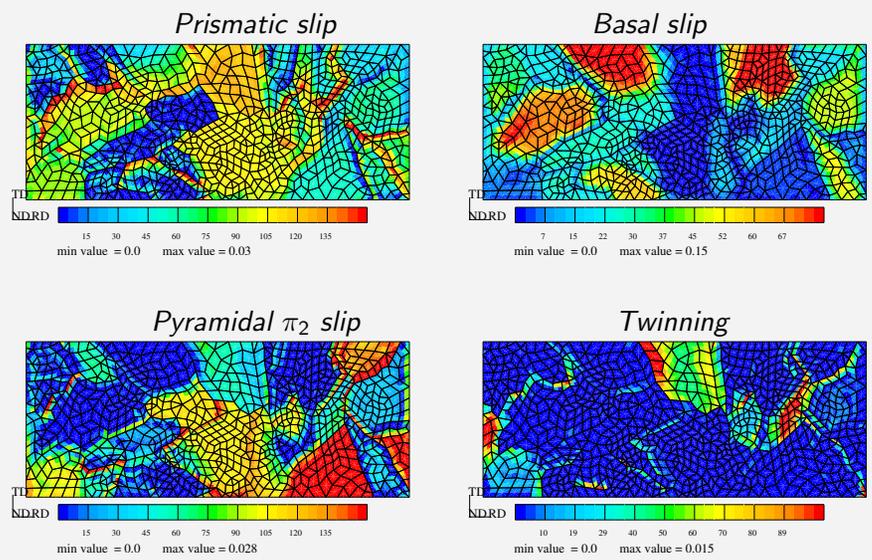
Tatschl, A. and Kolednik, . (2004). On the experimental characterization of crystal plasticity in polycrystals. Material Science and Engineering, A364:384–399.

Von Mises stress for two realizations



Post.doc El Houdaigui, 2004

Distribution of slip and twinning in the specimen



(more in [Parisot et al., 2000])